

Syntactic analysis (5LN455)

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Sara Stymne

Department of Linguistics and Philology

Based on slides by Marco Kuhlmann



Recap: Treebank grammars, evaluation



Treebanks

- Treebanks are corpora in which each sentence has been annotated with a syntactic analysis.
- Producing a high-quality treebank is both time-consuming and expensive.
- One of the most widely known treebanks is the Penn TreeBank (PTB).



The Penn Treebank





Treebank grammars

- Given a treebank, we can construct a grammar by reading rules off the phrase structure trees.
- A treebank grammar will account for all analyses in the treebank.
- It will also account for sentences that were not observed in the treebank.



Treebank grammars

- The simplest way to obtain rule probabilities is relative frequency estimation.
- Step I: Count the number of occurrences of each rule in the treebank.
- Step 2: Divide this number by the total number of rule occurrences for the same left-hand side.



Parse evaluation measures

• Precision:

Out of all brackets found by the parser, how many are also present in the gold standard?

Recall:

Out of all brackets in the gold standard, how many are also found by the parser?

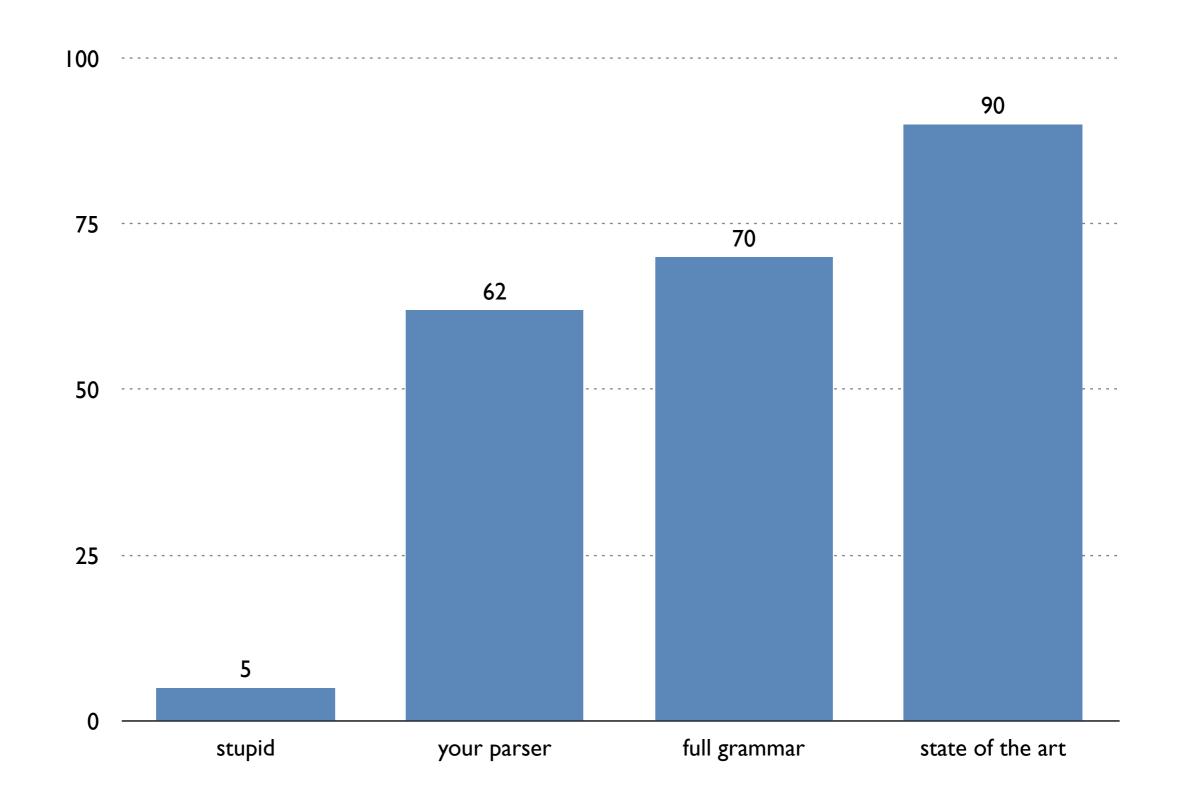
• FI-score:

harmonic mean between precision and recall:

2 × precision × recall / (precision + recall)



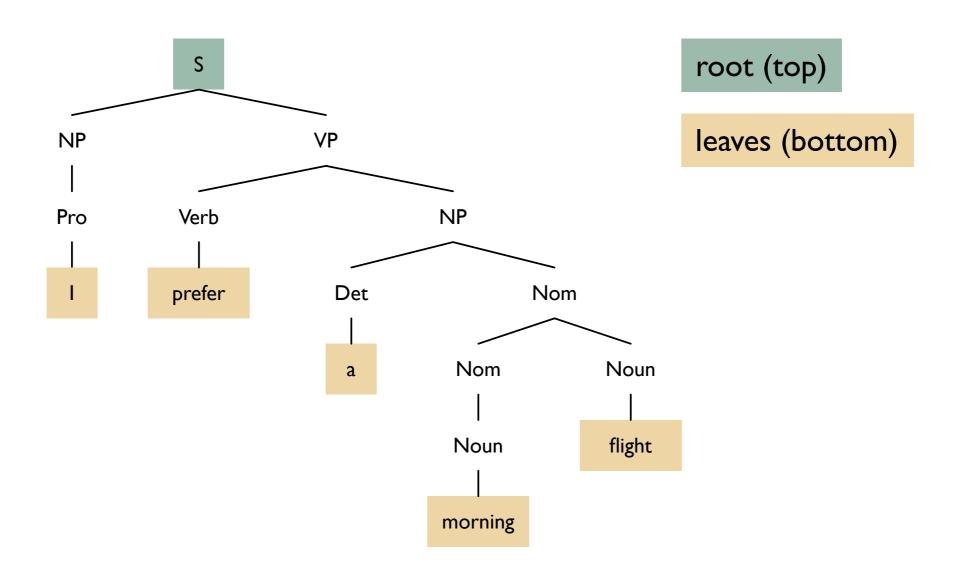
Parser evaluation measures

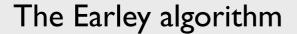






Parse trees







Top-down and bottom-up

top-down

only build trees that have S at the root node may lead to trees that do not yield the sentence

bottom-up

only build trees that yield the sentence may lead to trees that do not have S at the root



CKY versus Earley

- The CKY algorithm has two disadvantages:
 - It can only handle restricted grammars.
 - It does not use top—down information.
- The Earley algorithm does not have these:
 - It can handle arbitrary grammars.
 - Is does use top—down information.
 - On the downside, it is more complicated.

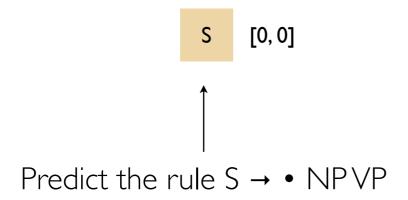


The algorithm

- Start with the start symbol S.
- Take the leftmost nonterminal and predict all possible expansions.
- If the next symbol in the expansion is a word, match it against the input sentence (scan); otherwise, repeat.
- If there is nothing more to expand, the subtree is complete; in this case, continue with the next incomplete subtree.

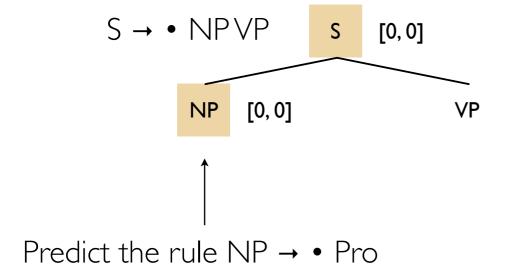


Example run



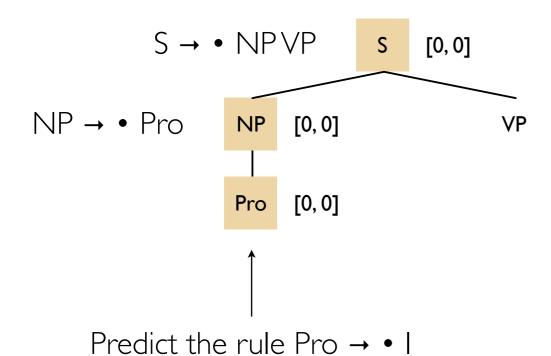


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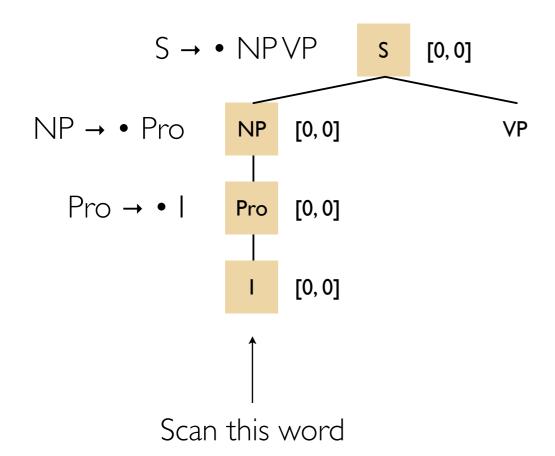


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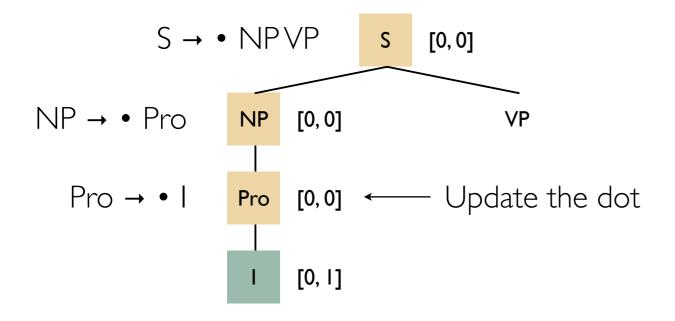


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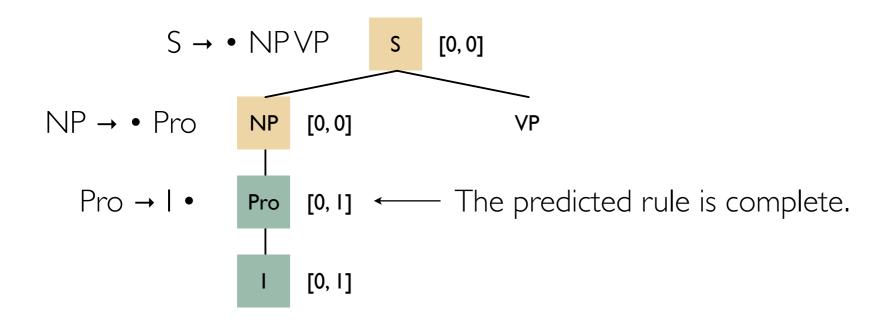


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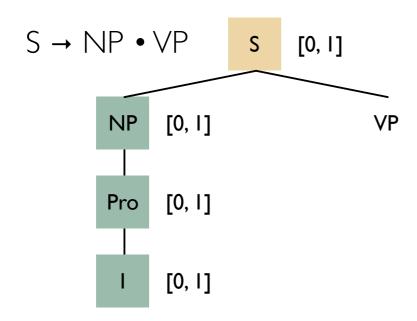


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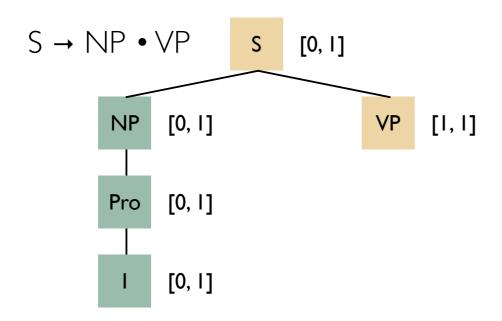


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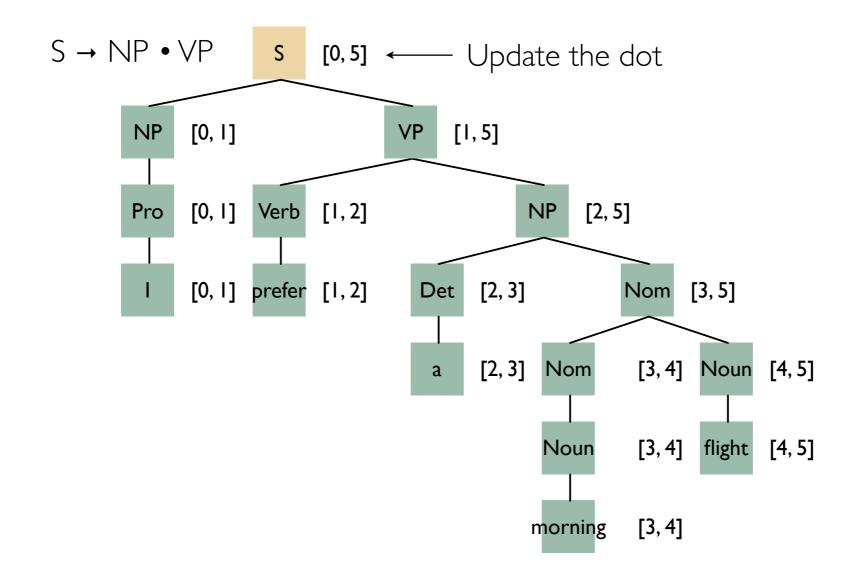


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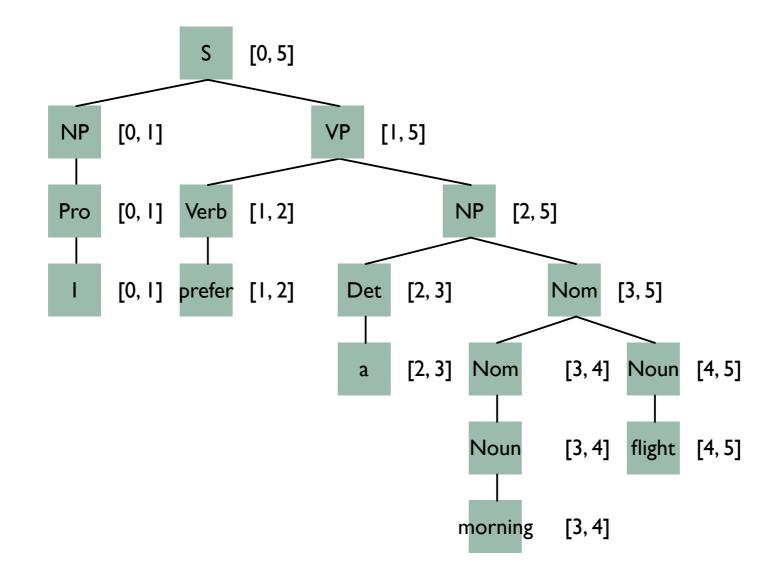


Example run





Example run





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Dotted rules

• A dotted rule is a partially processed rule.

Example: $S \rightarrow NP \cdot VP$

- The dot can be placed in front of the first symbol, behind the last symbol, or between two symbols on the right-hand side of a rule.
- The general form of a dotted rule thus is $A \rightarrow \alpha \bullet \beta$, where $A \rightarrow \alpha\beta$ is the original, non-dotted rule.



Chart entries

- The chart contains entries of the form
 [min, max, A → α β], where min and max
 are positions in the input
 and A → α β is a dotted rule.
- Such an entry says: 'We have built a parse tree whose first rule is A → αβ and where the part of this rule that corresponds to α covers the words between min and max.'

Inference rules

Axiom

$$[0,0,S\rightarrow \bullet \alpha]$$

$$S \rightarrow \alpha$$

Predict

$$\frac{[i, j, A \rightarrow \alpha \cdot B \beta]}{[j, j, B \rightarrow \cdot \gamma]}$$

$$B \rightarrow \gamma$$

Scan

$$\frac{[i, j, A \rightarrow \alpha \cdot a \beta]}{[i, j + I, A \rightarrow \alpha a \cdot \beta]}$$

$$w_j = a$$

Complete

$$\frac{[i, j, A \rightarrow \alpha \cdot B \beta] \quad [j, k, B \rightarrow \gamma \cdot]}{[i, k, A \rightarrow \alpha B \cdot \beta]}$$



Pseudo code I

```
function EARLEY-PARSE(words, grammar) returns chart
 ENQUEUE((\gamma \rightarrow \bullet S, [0,0]), chart[0])
 for i \leftarrow from 0 to LENGTH(words) do
   for each state in chart[i] do
    if INCOMPLETE?(state) and
             NEXT-CAT(state) is not a part of speech then
        Predictor(state)
     elseif INCOMPLETE?(state) and
             NEXT-CAT(state) is a part of speech then
        SCANNER(state)
     else
        COMPLETER(state)
   end
 end
 return(chart)
```



Pseudo code 2

```
procedure PREDICTOR((A \rightarrow \alpha \bullet B \beta, |i, j|))
   for each (B \rightarrow \gamma) in GRAMMAR-RULES-FOR(B, grammar) do
         ENQUEUE((B \rightarrow \bullet \gamma, [j, j]), chart[j])
    end
procedure SCANNER((A \rightarrow \alpha \bullet B \beta, [i, j]))
   if B \subset PARTS-OF-SPEECH(word[j]) then
       ENQUEUE((B \rightarrow word[j], [j, j+1]), chart[j+1])
procedure COMPLETER((B \rightarrow \gamma \bullet, |j,k|))
   for each (A \rightarrow \alpha \bullet B \beta, [i, j]) in chart[j] do
         ENQUEUE((A \rightarrow \alpha B \bullet \beta, [i,k]), chart[k])
    end
```



Recogniser/parser

- When parsing is complete, is there a chart entry?
 [0, n, S → α]
 - Recognizer
- If we want a parser, we have to add back pointers, and retrieve a tree
- Earley's algorithm can be used for PCFGs, but it is more complicated than for CKY



Summary

- The Earley algorithm is a parsing algorithm for arbitrary context-free grammars.
- In contrast to the CKY algorithm, it also uses top—down information.
- Also in contrast to the CKY algorithm,
 its probabilistic extension is not straightforward.
- Reading: J&M 13.4.2